

	Criteria	No.	Evidence	Code	Judgement	Sufficiency																												
Achievement	Determine probabilities.	1(a)	$\frac{100}{175} = \frac{4}{7} = 0.571428.. = 57.1428...\%$	A	Or equivalent.	3 of code A.																												
		1(b)	$\frac{100}{371} = 0.26954... = 26.954..\%$	A	Or equivalent.																													
		2(a)	$0.3 \times 0.3 = 0.09 = 9\%$	A	Or equivalent.																													
		2(b)	$2 \times 0.3 \times 0.7 = 0.42 = 42\%$	A	Or equivalent Accept any correctly rounded / truncated answer.																													
Achievement with Merit	Solve probability problems using theoretical methods.	3(a)	$\frac{1}{4} \times \frac{4}{5} = \frac{1}{5} = 0.2 = 20\%$	A / M	Or equivalent.	Achievement plus 2 of code M or 3 of code M.																												
		3(b)	$\frac{1}{4} \times \frac{1}{5} + \frac{3}{4} \times \frac{4}{5} = \frac{13}{20} = 0.65 = 65\%$	A / M	Or equivalent.																													
		3(c)	$\frac{3}{10} \times \frac{2}{5} + \frac{7}{10} \times \frac{4}{5} = \frac{17}{25} = 0.68 = 68\%$	A / M	Or equivalent. Accept any correctly rounded / truncated answers.																													
Achievement with Excellence	Explore probability situations to solve problems.	4	<div><p>If there were 3 each of 8 and 9, we would expect the frequencies to be approx 1:2:1. They are not, and the lowest result for total 13 suggests 8 is only on one or two sides. The probabilities for all options are:</p><table><tr><th>Option (8's & 9's)</th><th>13</th><th>14</th><th>15</th></tr><tr><td>1 & 5</td><td>$\frac{10}{120}$</td><td>$\frac{60}{120}$</td><td>$\frac{50}{120}$</td></tr><tr><td>2 & 4</td><td>$\frac{20}{120}$</td><td>$\frac{60}{120}$</td><td>$\frac{40}{120}$</td></tr><tr><td>3 & 3</td><td>$\frac{30}{120}$</td><td>$\frac{60}{120}$</td><td>$\frac{30}{120}$</td></tr><tr><td>4 & 2</td><td>$\frac{40}{120}$</td><td>$\frac{60}{120}$</td><td>$\frac{20}{120}$</td></tr><tr><td>5 & 1</td><td>$\frac{50}{120}$</td><td>$\frac{60}{120}$</td><td>$\frac{10}{120}$</td></tr><tr><td>actual</td><td>$\frac{20}{120}$</td><td>$\frac{66}{120}$</td><td>$\frac{34}{120}$</td></tr></table><p>The shaded row in the table most closely matches the experimental probabilities.</p><p>Therefore the second die is most likely to have four sides labelled “9”.</p></div>	Option (8's & 9's)	13	14	15	1 & 5	$\frac{10}{120}$	$\frac{60}{120}$	$\frac{50}{120}$	2 & 4	$\frac{20}{120}$	$\frac{60}{120}$	$\frac{40}{120}$	3 & 3	$\frac{30}{120}$	$\frac{60}{120}$	$\frac{30}{120}$	4 & 2	$\frac{40}{120}$	$\frac{60}{120}$	$\frac{20}{120}$	5 & 1	$\frac{50}{120}$	$\frac{60}{120}$	$\frac{10}{120}$	actual	$\frac{20}{120}$	$\frac{66}{120}$	$\frac{34}{120}$	<div>A / M</div> <div>E</div>	<div>EITHER: Evidence for one Code A: Diagram drawn to show one possible outcome of rolling these two dice (eg 6&9 giving 15), and the resulting probability.</div> <div>OR: Evidence for one Code M: Diagram drawn to show the two possible outcomes of rolling these two dice to give total of 14, and the resulting total probability.</div> <div>For code E: Decision is justified using probabilities.</div>	<div>Merit plus</div> <div>Code E.</div>
Option (8's & 9's)	13	14	15																															
1 & 5	$\frac{10}{120}$	$\frac{60}{120}$	$\frac{50}{120}$																															
2 & 4	$\frac{20}{120}$	$\frac{60}{120}$	$\frac{40}{120}$																															
3 & 3	$\frac{30}{120}$	$\frac{60}{120}$	$\frac{30}{120}$																															
4 & 2	$\frac{40}{120}$	$\frac{60}{120}$	$\frac{20}{120}$																															
5 & 1	$\frac{50}{120}$	$\frac{60}{120}$	$\frac{10}{120}$																															
actual	$\frac{20}{120}$	$\frac{66}{120}$	$\frac{34}{120}$																															

Judgement Statement**Mathematics: Determine probabilities (90194)**

Achievement	Achievement with Merit	Achievement with Excellence
Determine probabilities. $3 \times A$	<i>Solve probability problems using theoretical methods.</i> Achievement <i>plus</i> $2 \times M$ OR $3 \times M$	<i>Explore probability situations to solve problems.</i> Merit <i>plus</i> $1 \times E$